

Bio 5357 Lecture

(1) Basic Principles of Electron Microscopy

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Washington
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SCHOOL OF MEDICINE

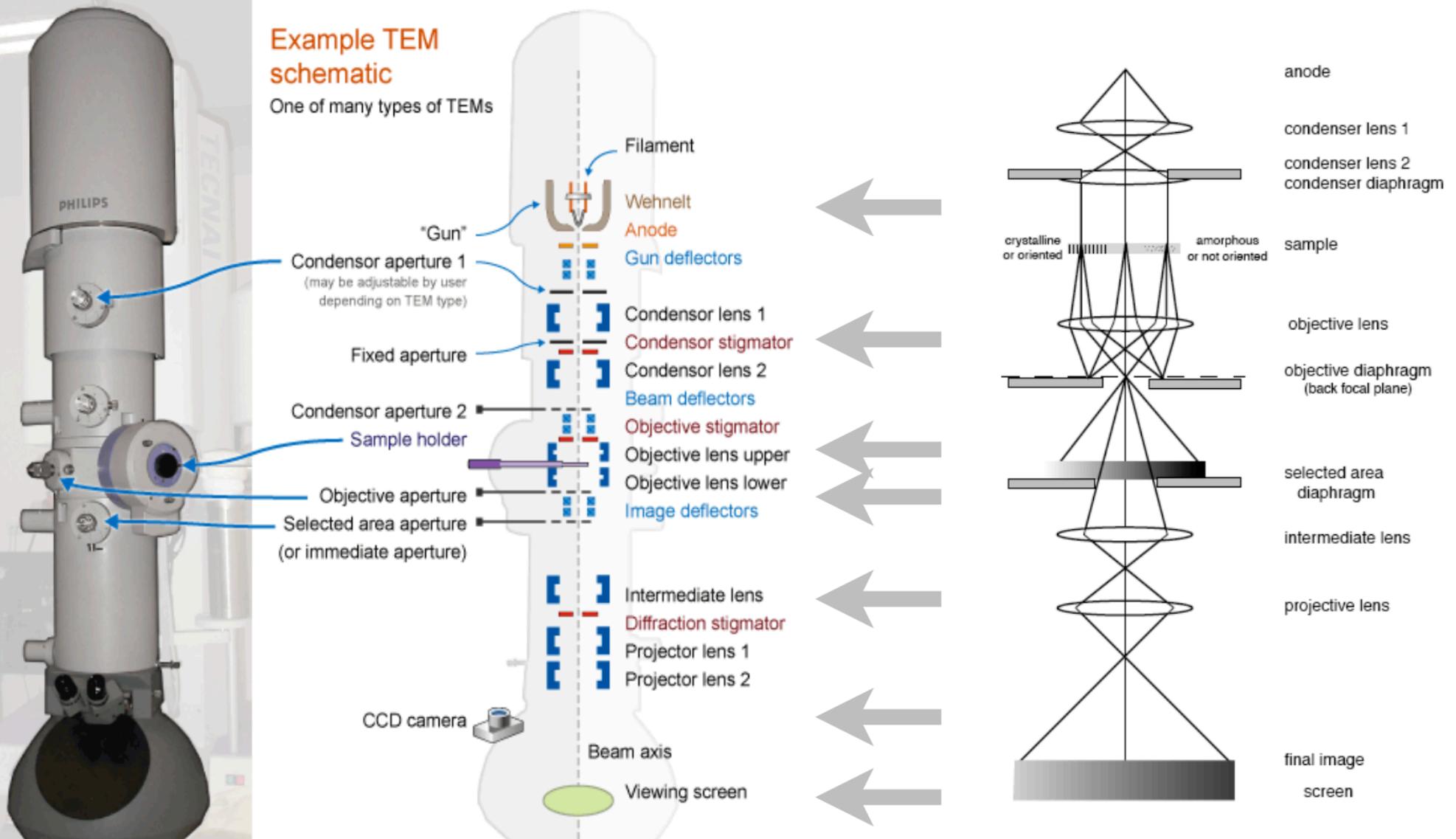
Outlines

- ❖ **Transmission Electron Microscope (TEM)**
- ❖ Fourier Transform
- ❖ Contrast Transfer Function (CTF)
- ❖ 3D Reconstruction

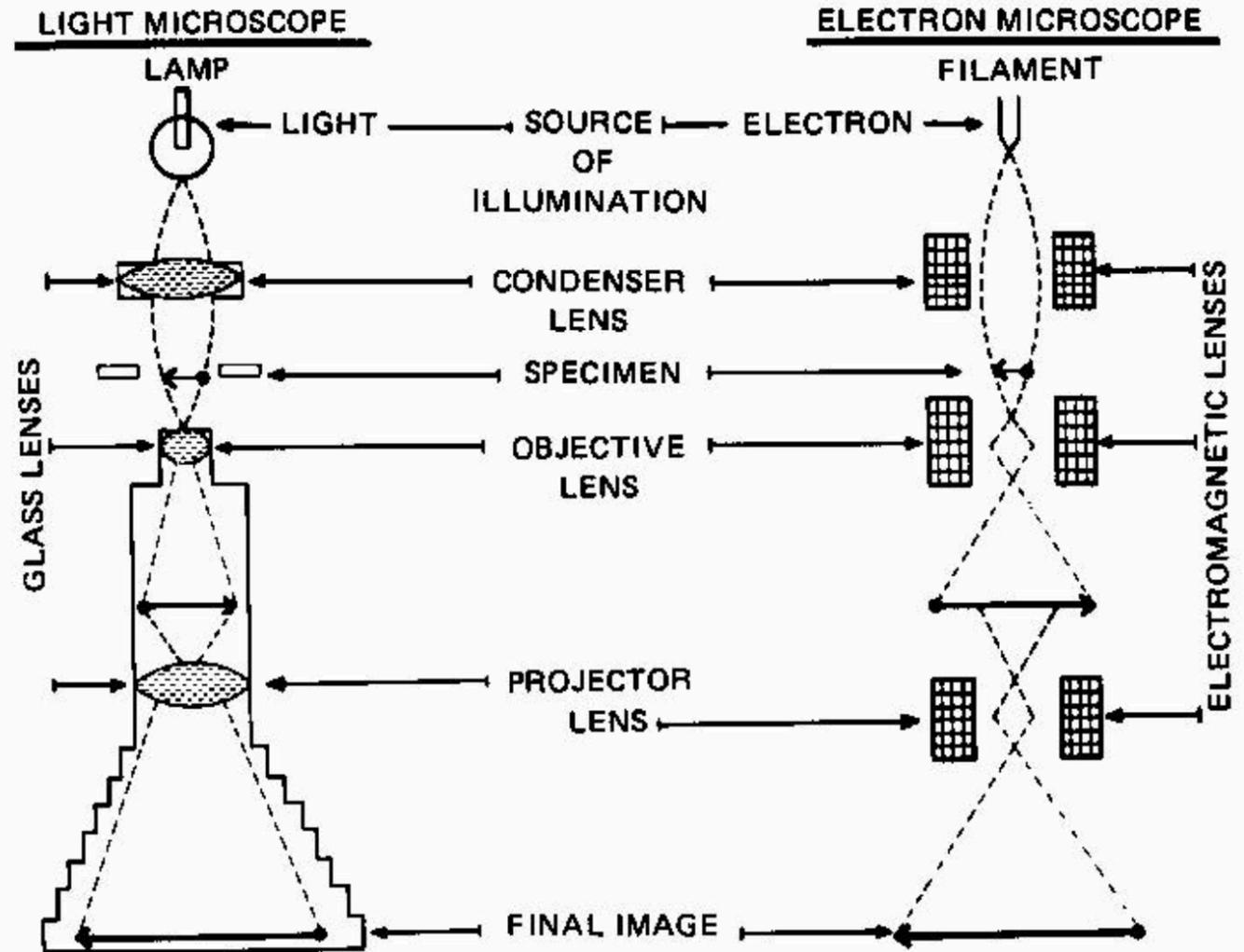
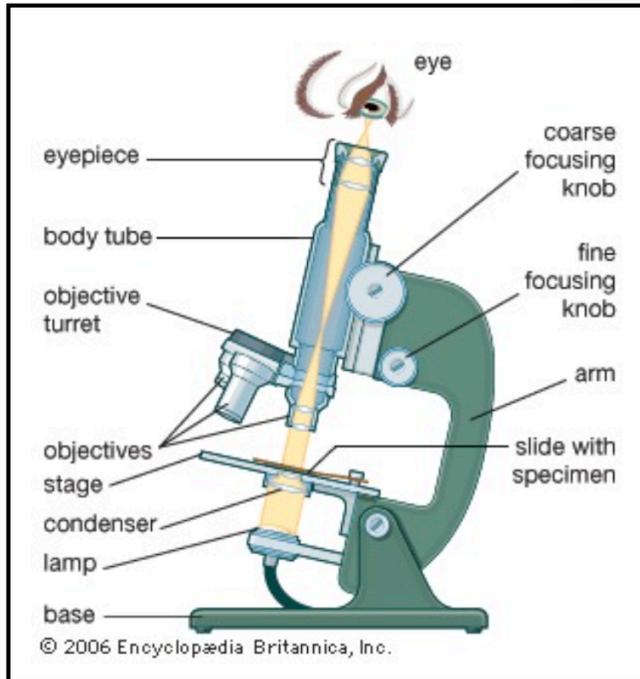
Transmission Electron Microscope (TEM)

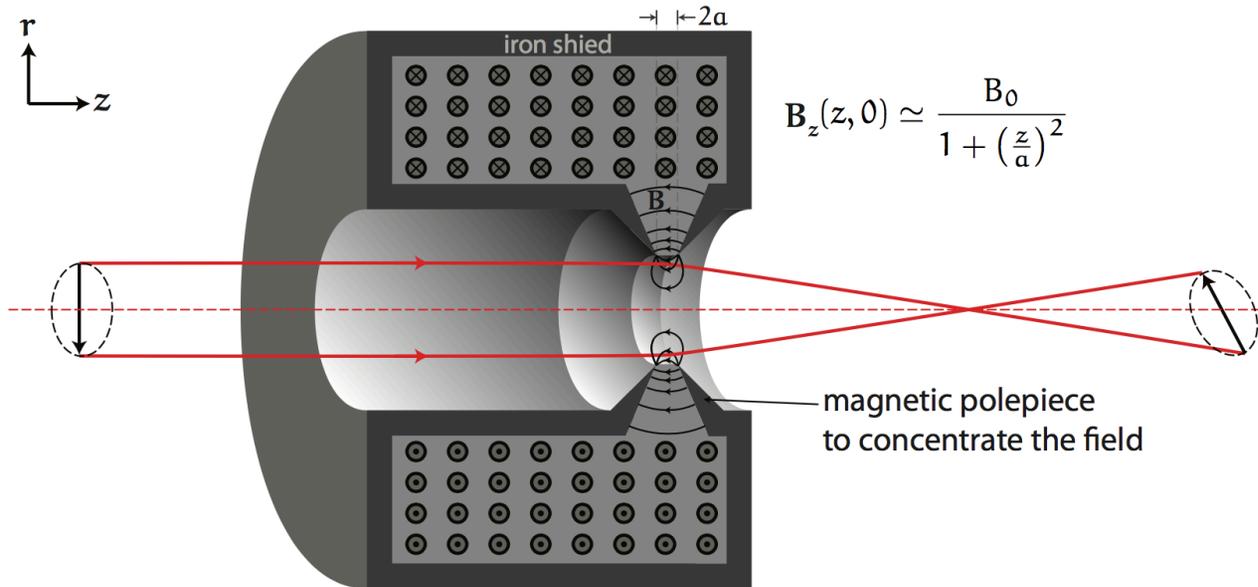
Example TEM schematic

One of many types of TEMs



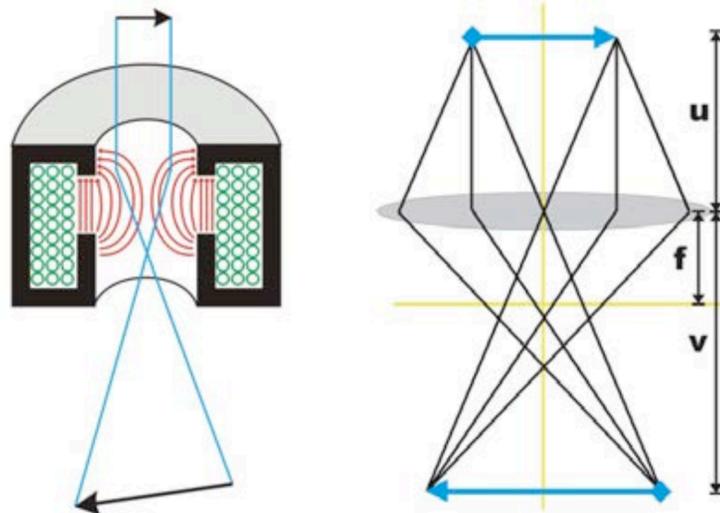
Comparison of Optics





© Chris Russo

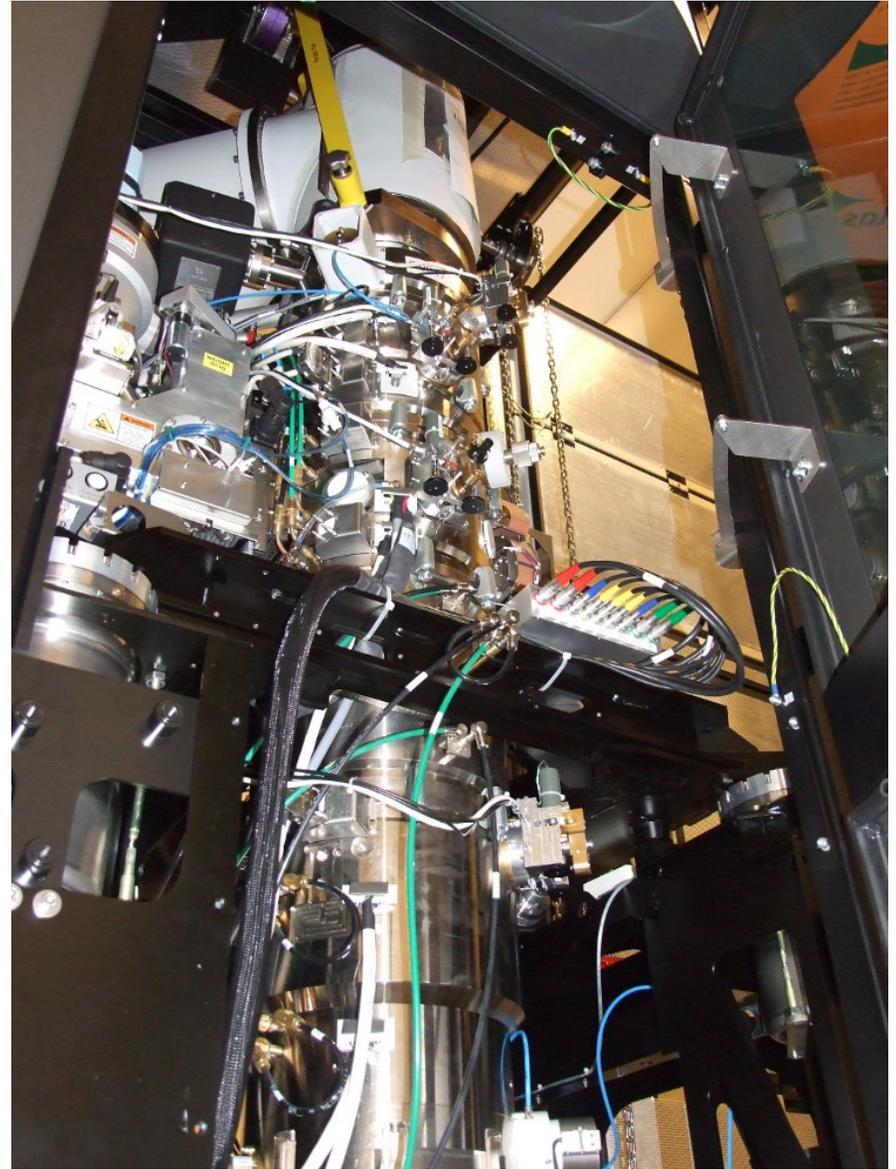
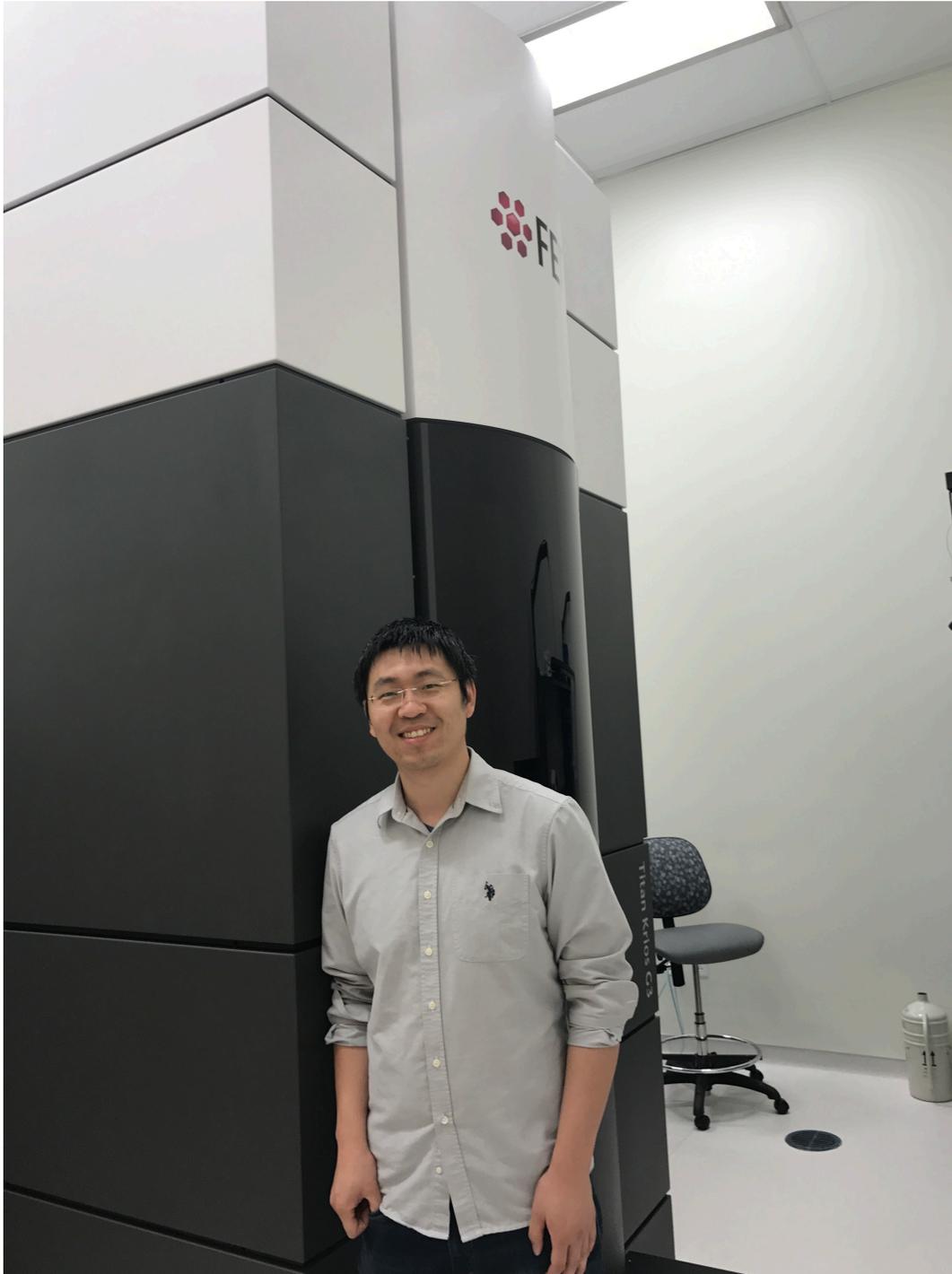
Electromagnetic lens



* The focal length of a electromagnetic lens can be easily adjusted by changing the lens current.

© Yifan Cheng

State-of-the-art: FEI Titan Krios



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- ❖ **Fourier Transform**
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Light Scattering and Lenses are Described by Fourier Transforms

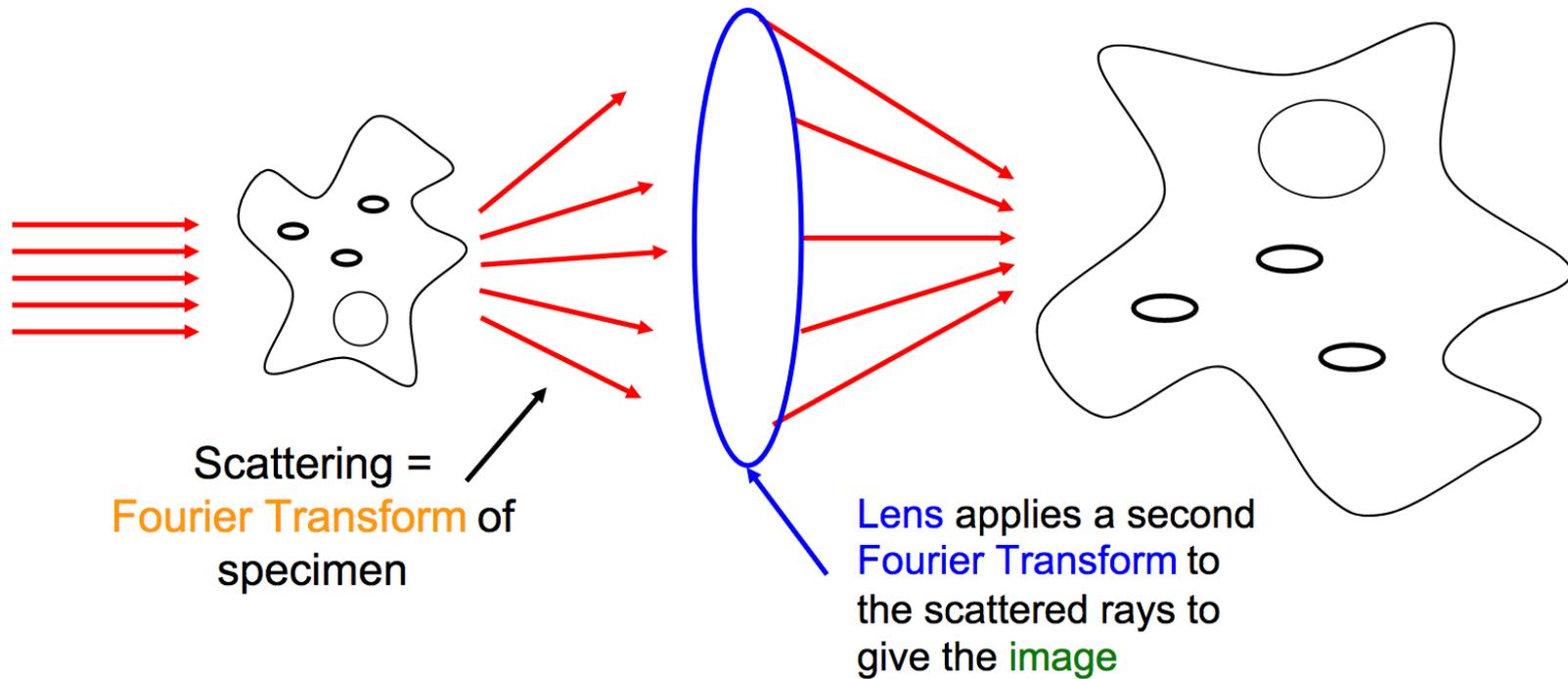
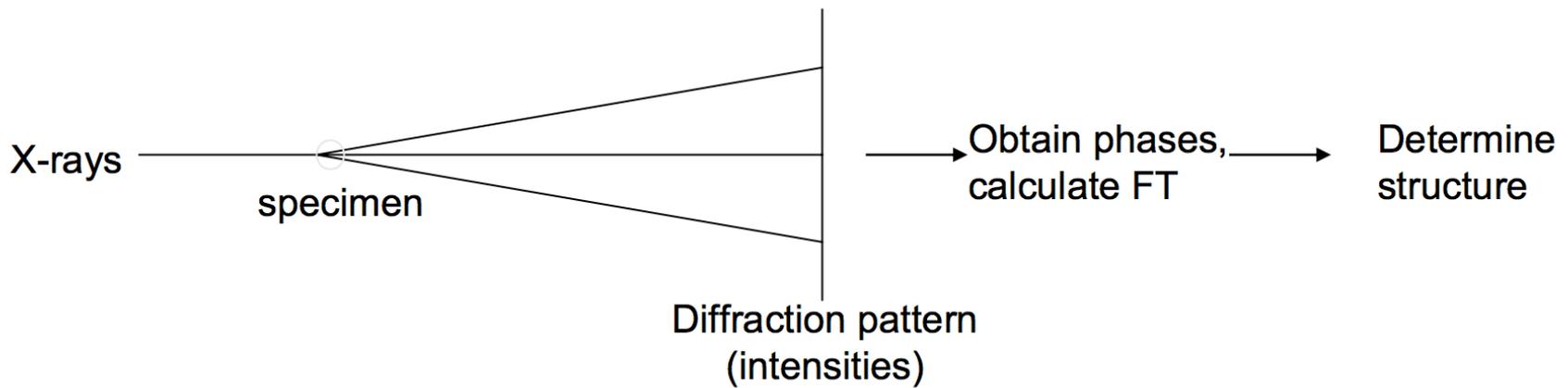
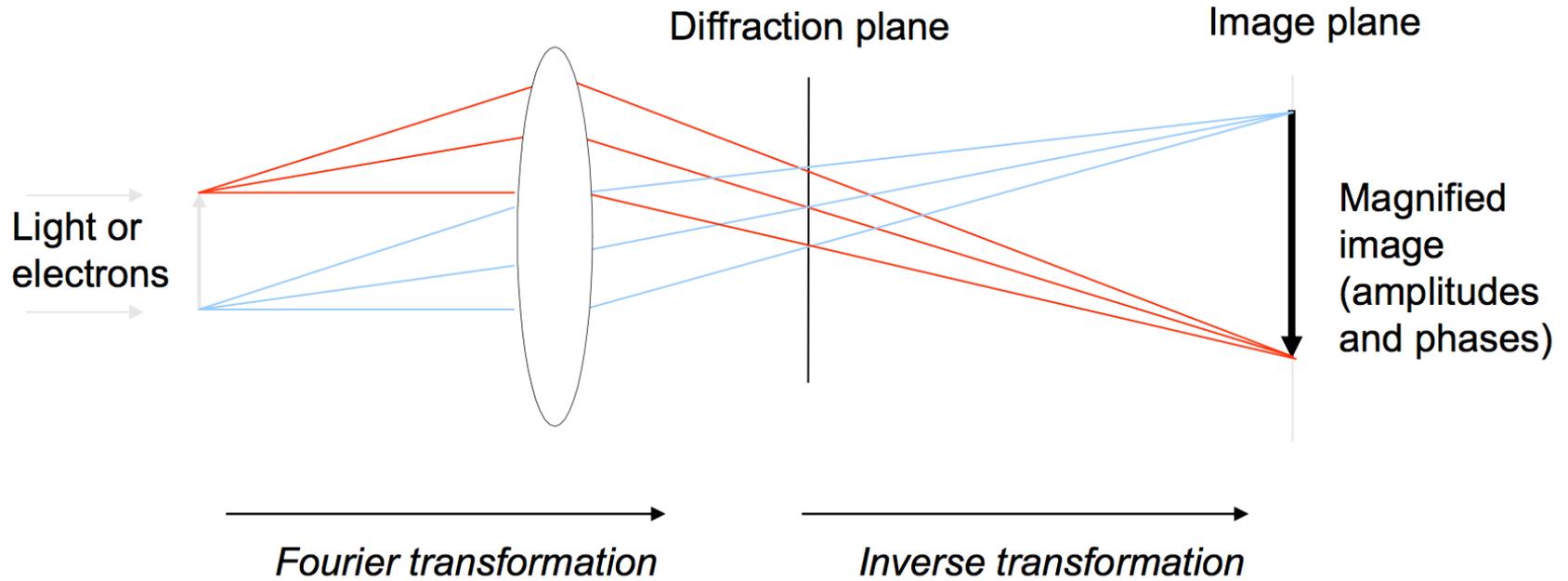


Image formation and diffraction



The Fourier Transform

To get the weights (amount of each frequency): \mathcal{F}

$$F(s) = \int_{-\infty}^{\infty} f(t)e^{-i2\pi st} dt$$

$F(s)$ is the Fourier Transform of $f(t)$: $\mathcal{F}(f(t)) = F(s)$

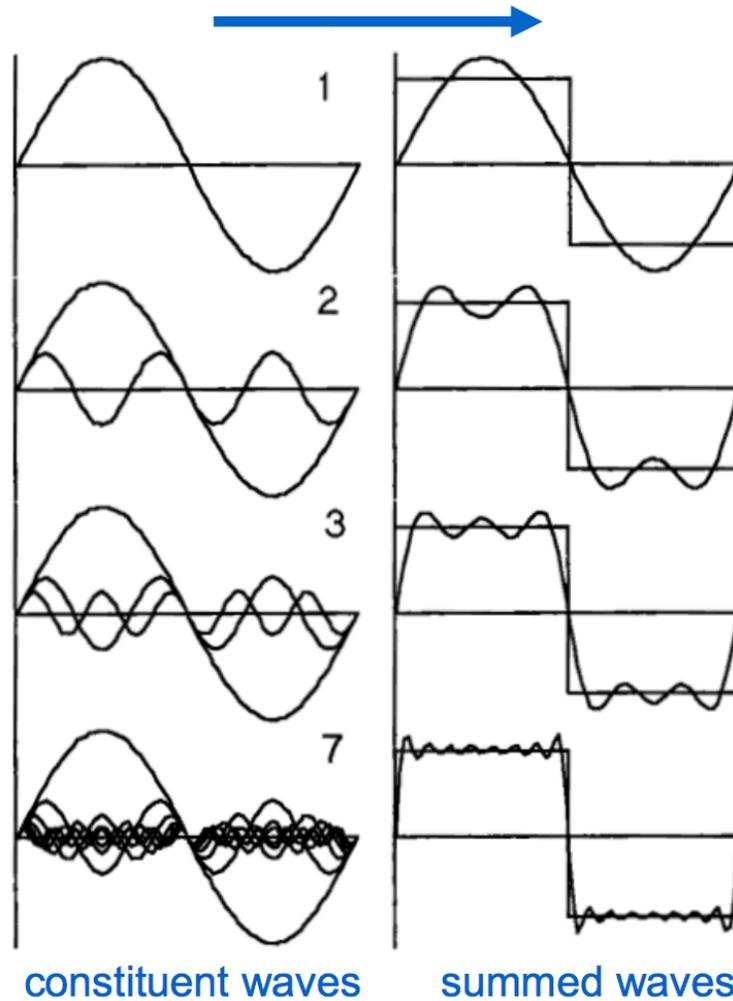
To convert weights back into a signal (invert the transform):

$$f(t) = \int_{-\infty}^{\infty} F(s)e^{i2\pi st} ds$$

$f(t)$ is the Inverse Fourier Transform of $F(s)$: $\mathcal{F}^{-1}(F(s)) = f(t)$

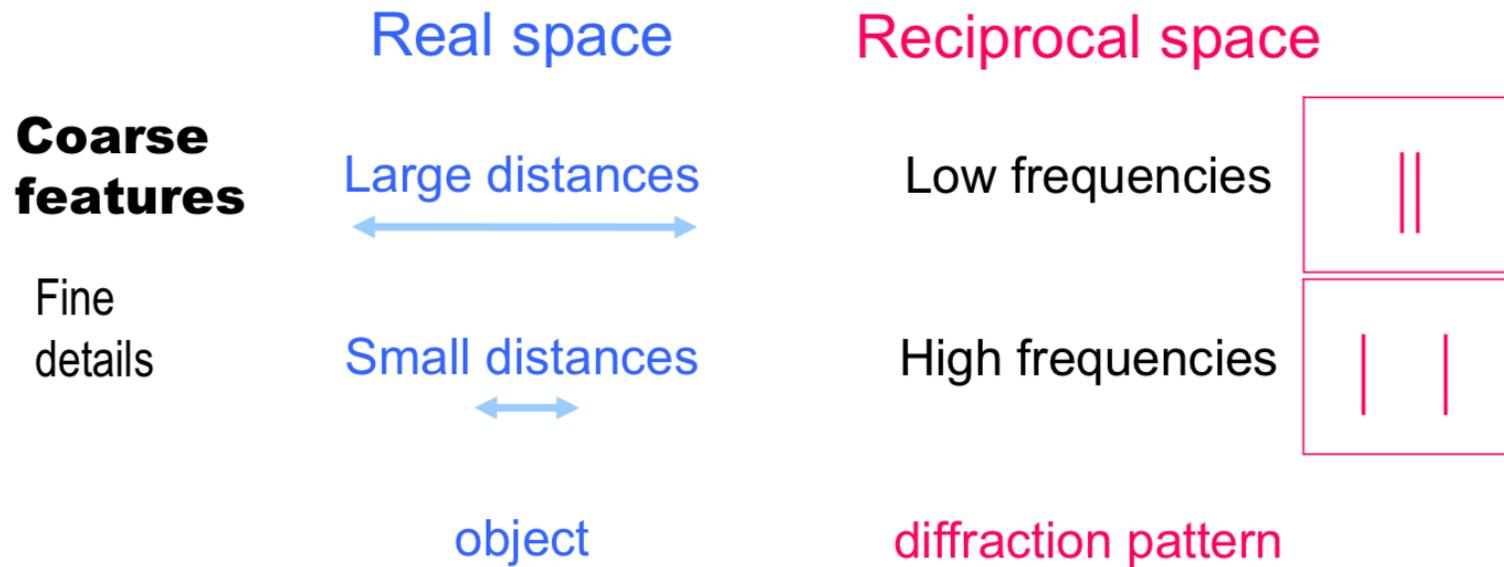


Fourier synthesis - adding up waves to build a shape



Fourier analysis - determining the waves components of a shape

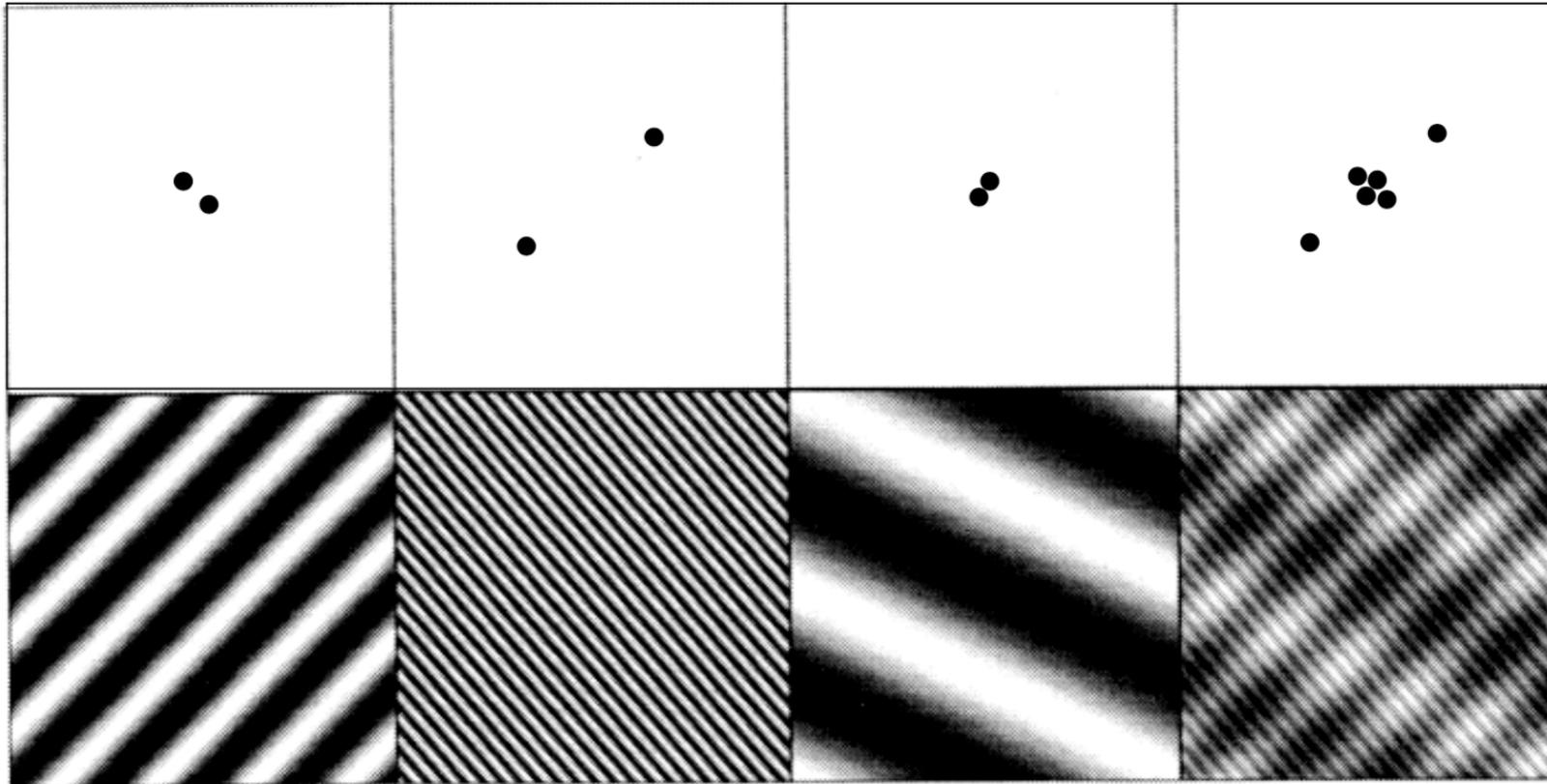
Understand Fourier Transform Intuitively



Properties of FTs

Rotation

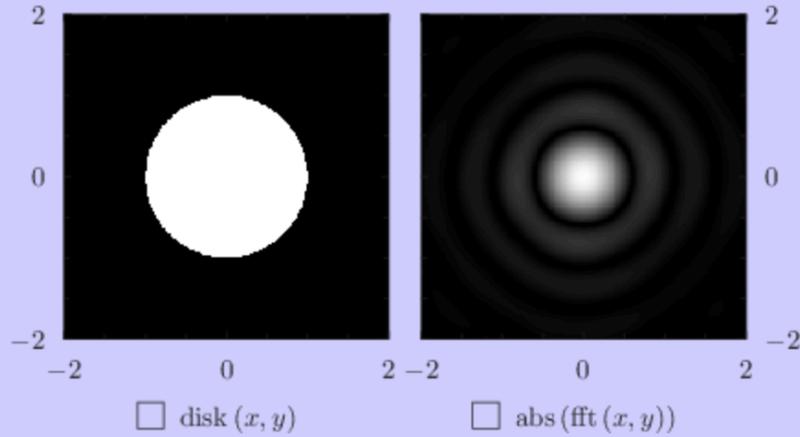
Addition



2D Fourier Transform of different shapes

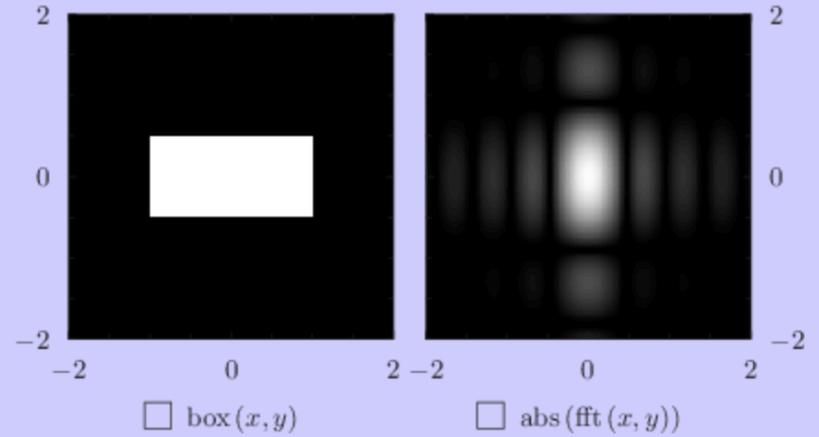
Disk

See more 



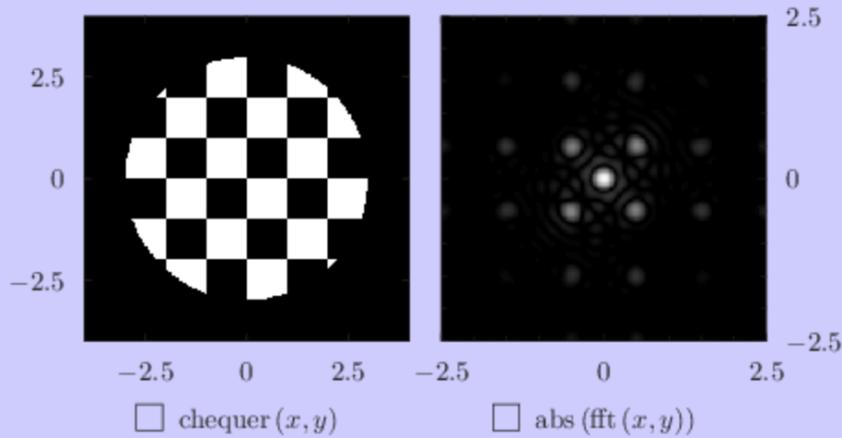
Box

See more 



Chequer board

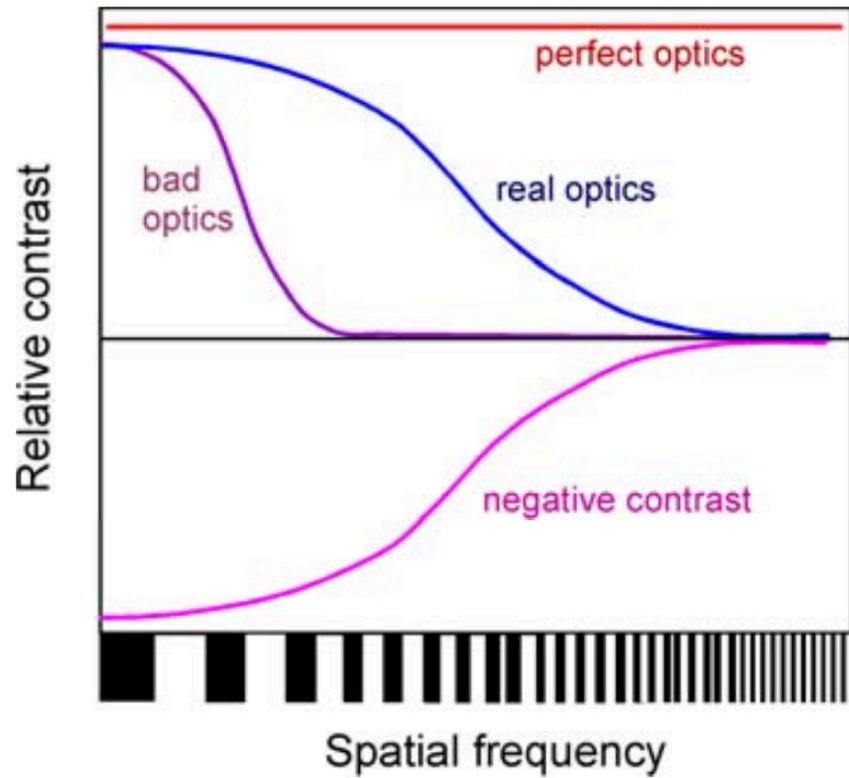
See more 



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Contrast transfer



perfect optics



normal optics



bad optics



negative contrast

Phase CTF formula from the weak phase approximation

$$\text{Phase CTF} = -2 \sin [\pi(\Delta Z \lambda q^2 - C_s \lambda^3 q^4 / 2)]$$

C_s – spherical aberration coefficient

ΔZ – defocus

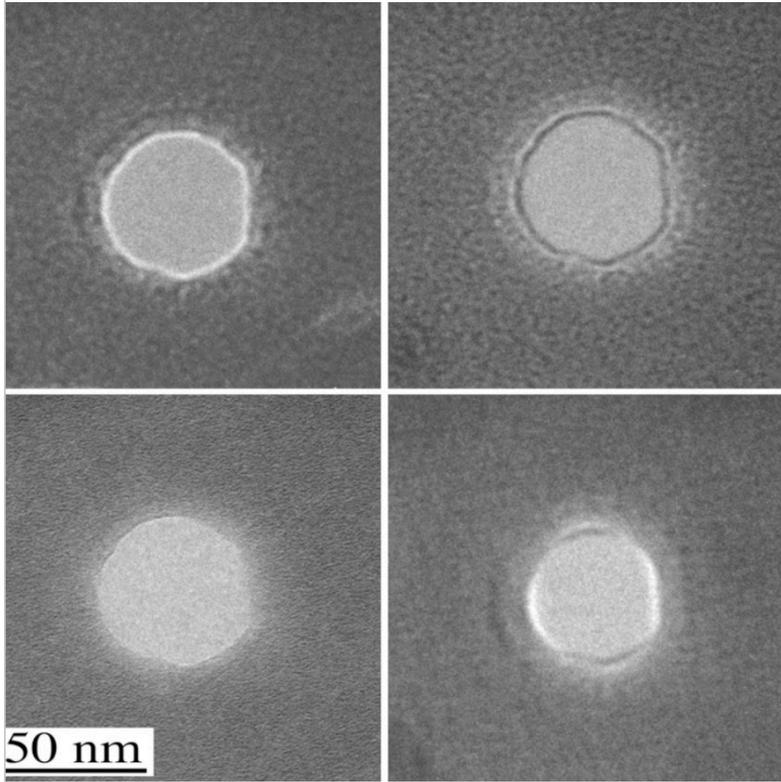
q – spatial frequency

λ – electron wavelength

Lens terminology

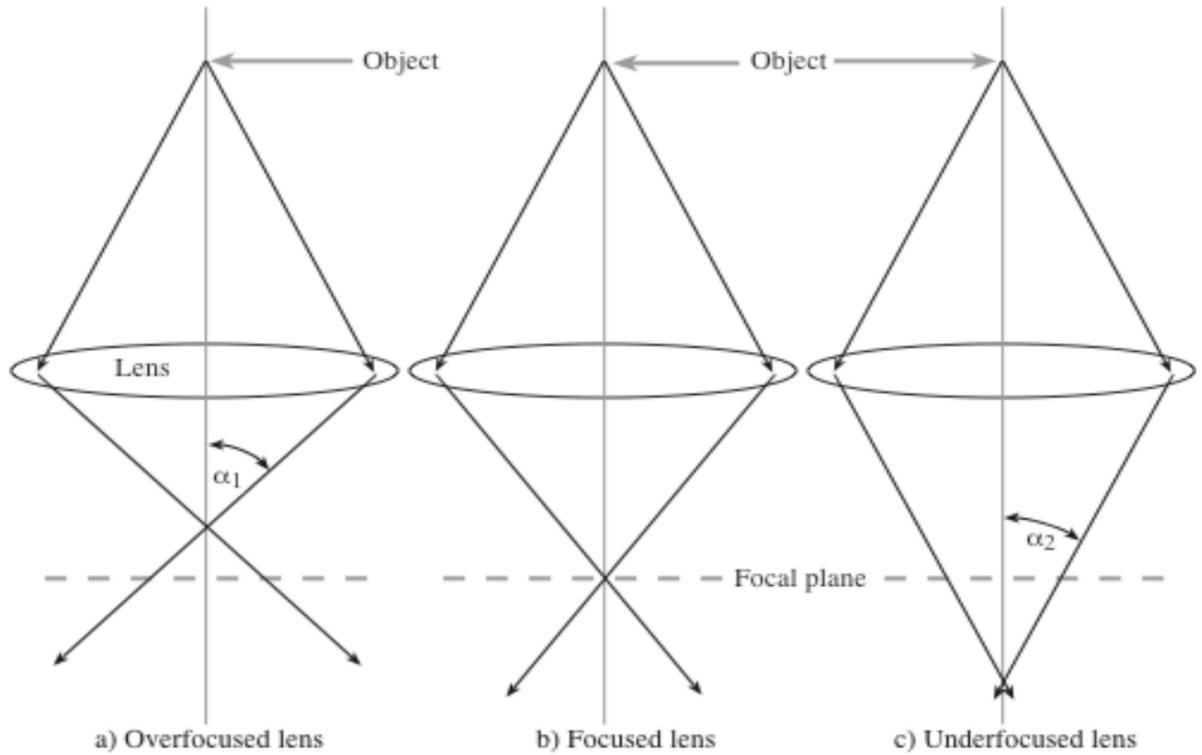
underfocus

overfocus



exact focus

astigmatism

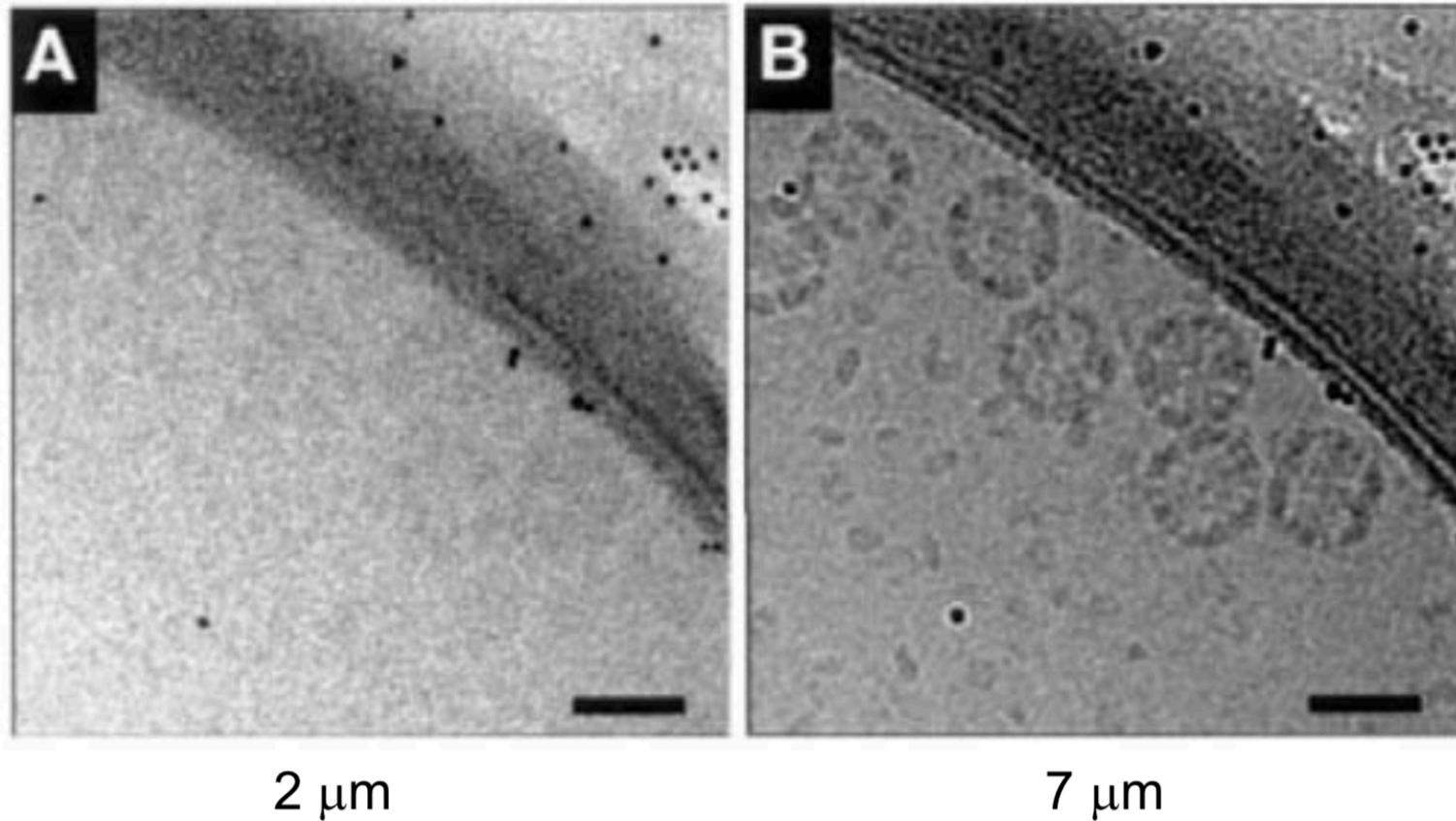


Too strong

Just right

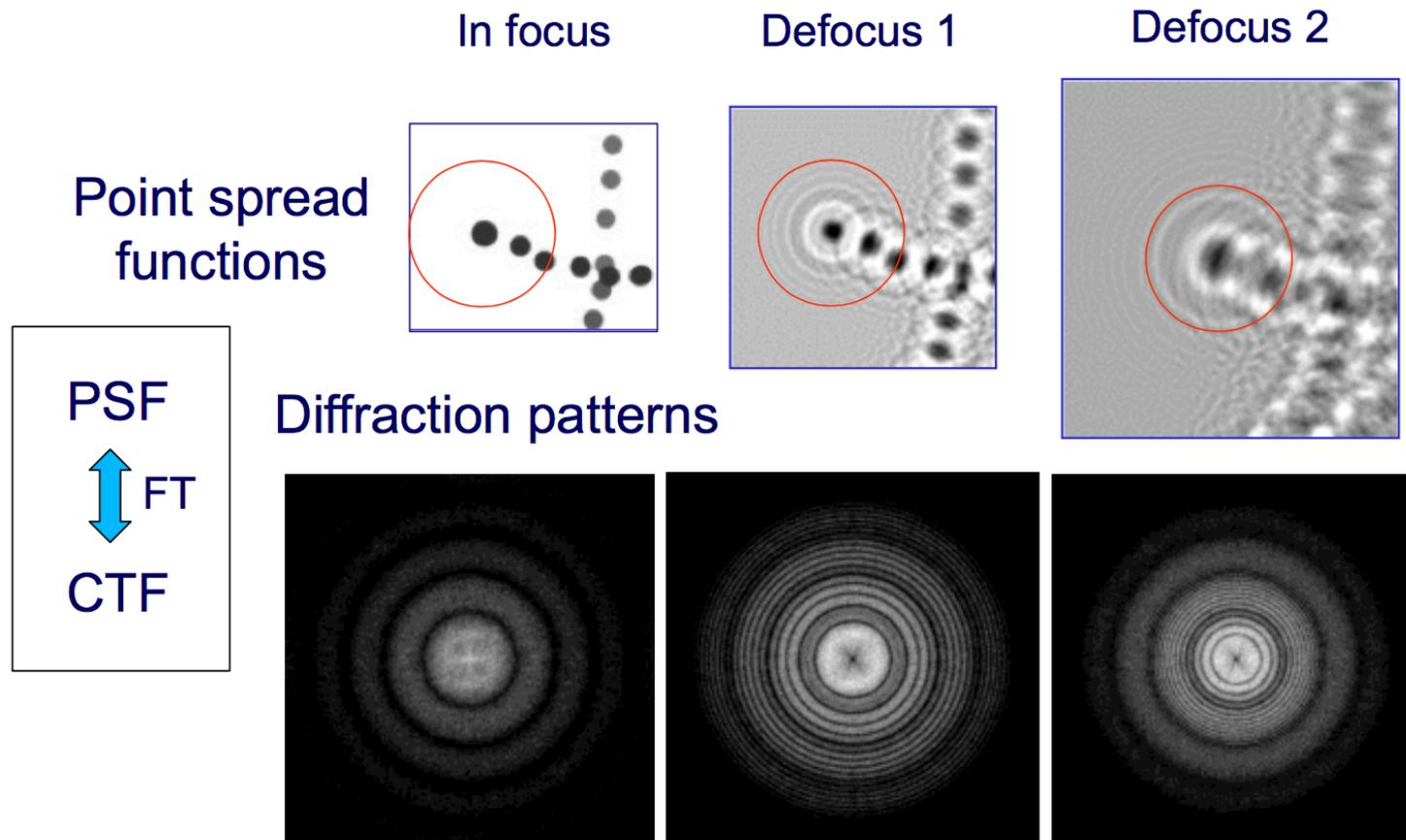
Too weak

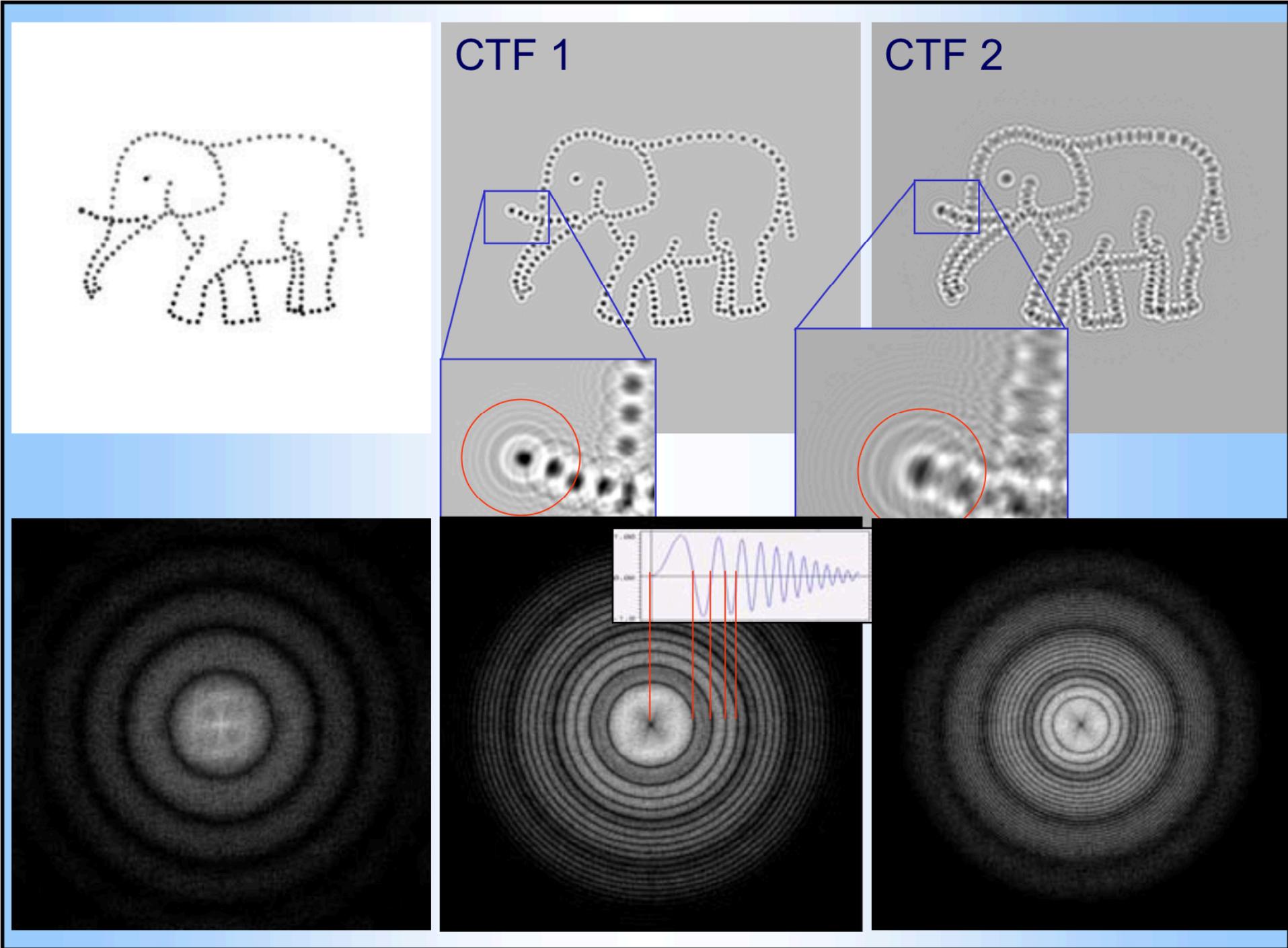
Why do we need to bother with defocus?



Tricorn protease, Walz, J et al (1997) Mol Cell 1, 59-65

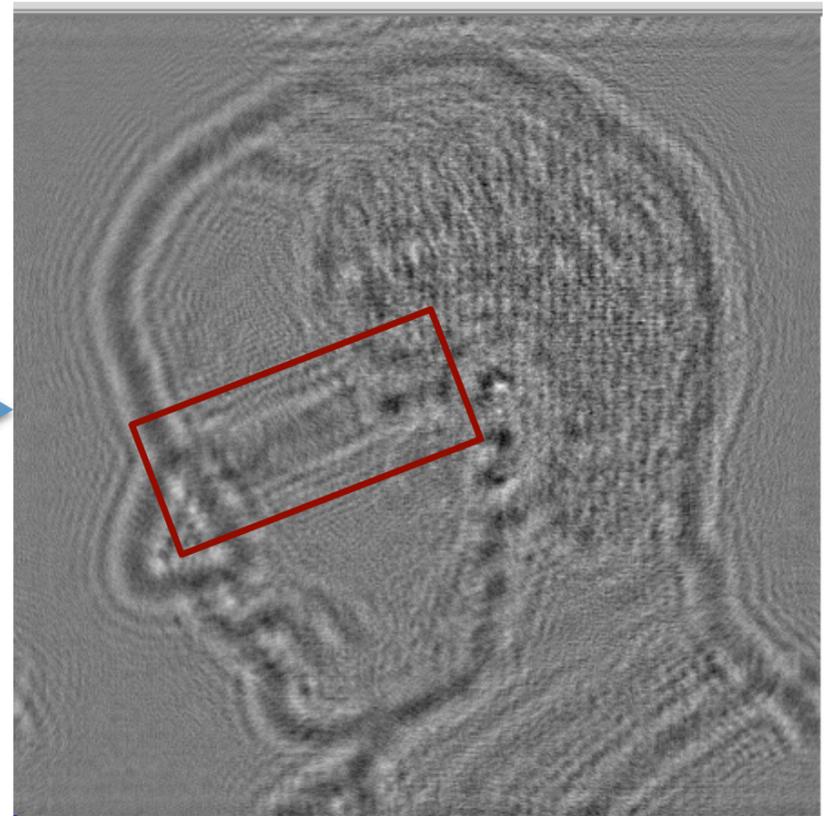
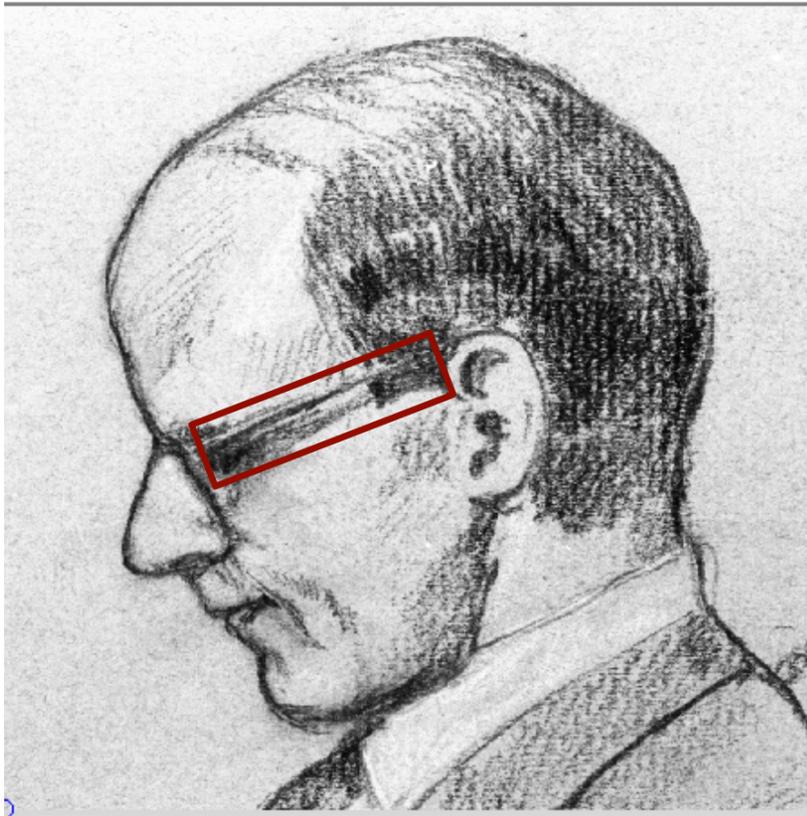
The CTF is the FT of the Point Spread Function





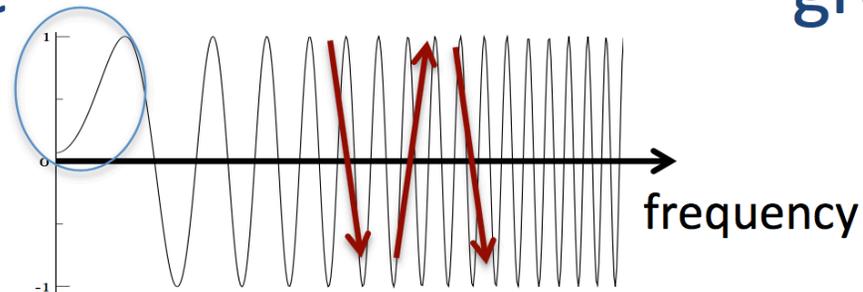
CTF effects

Delocalisation!

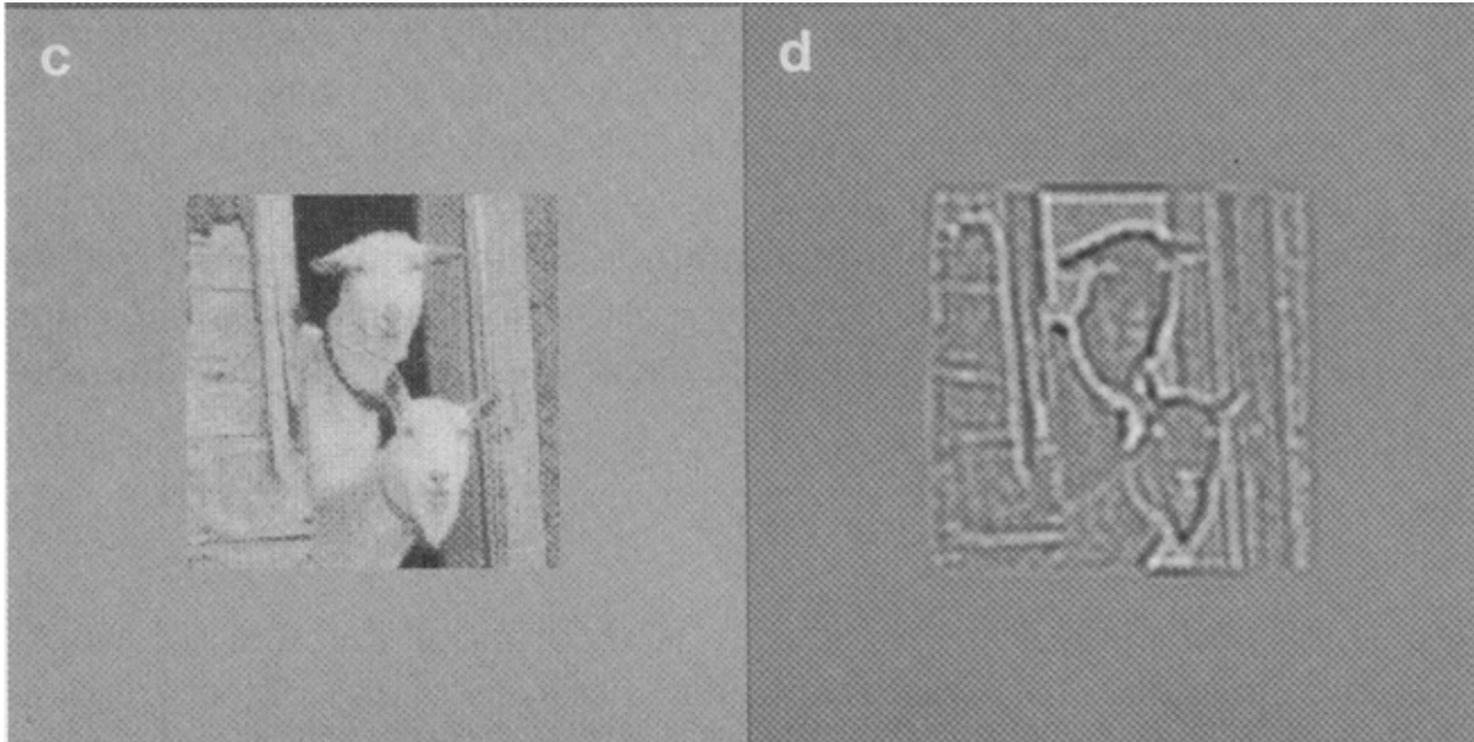


Black-white

grey



What is this CTF thing anyway and why do I care?



Distortions of CTF to the image are:

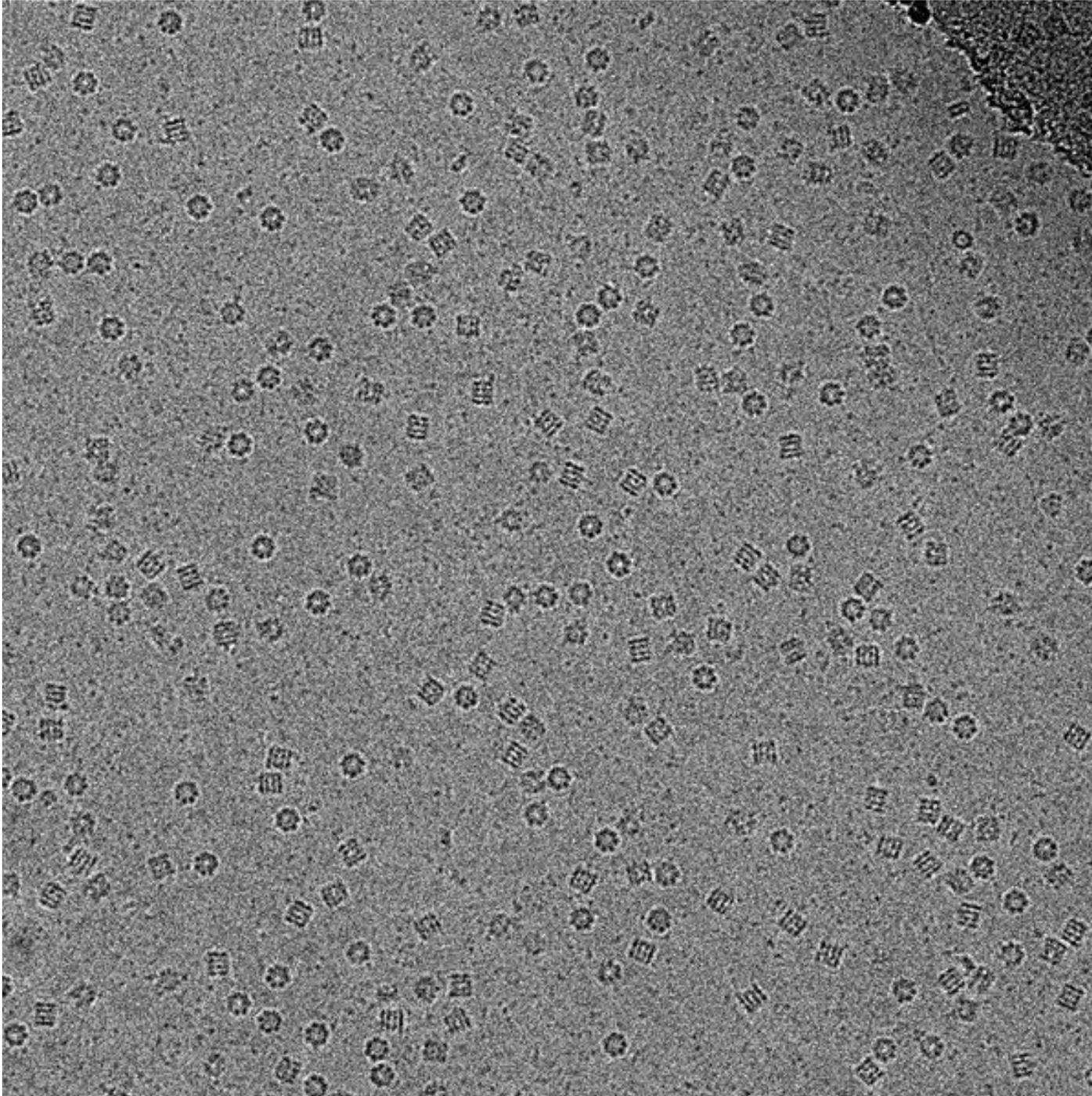
1) Contrast reverse of large area; 2) diminished contrast in large area; 3) edge enhancement and 4) appearance of fringes along the borders.

From Joachim Frank

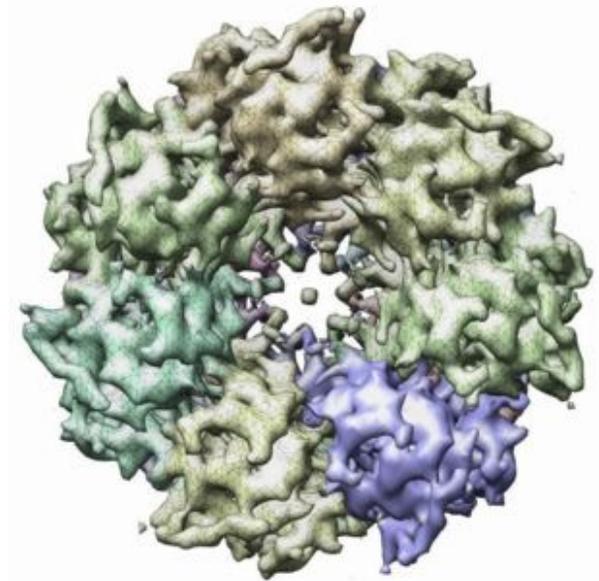
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- ❖ **3D Reconstruction**

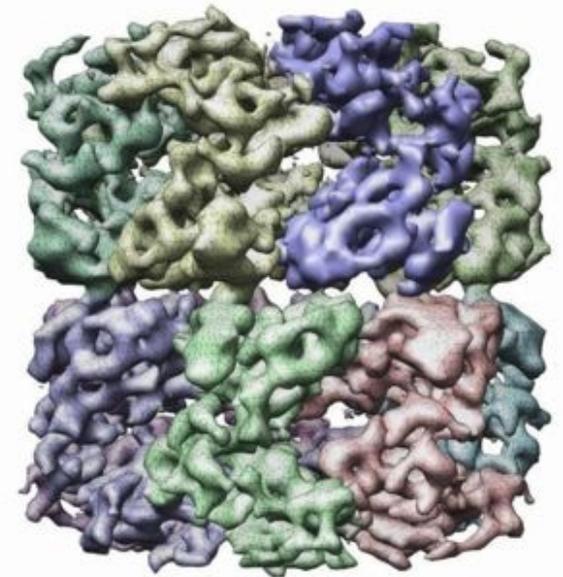
Cryo-EM image and structure of GroEL



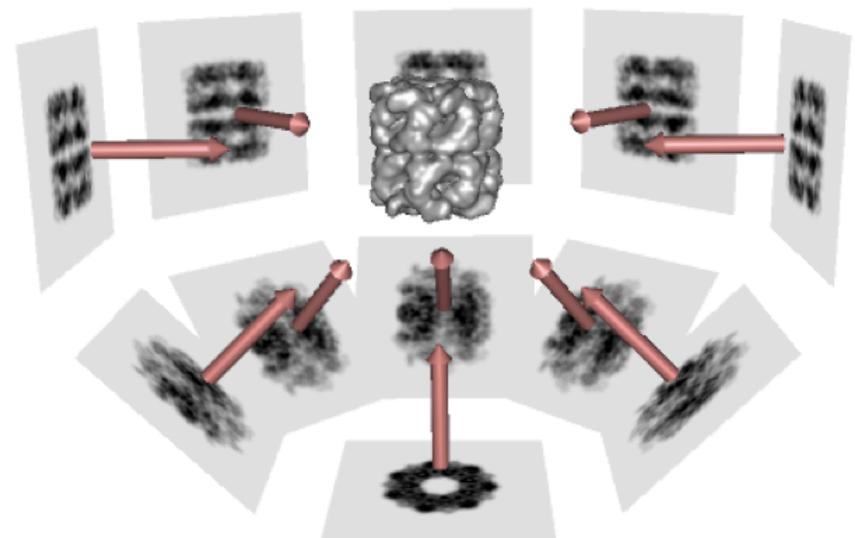
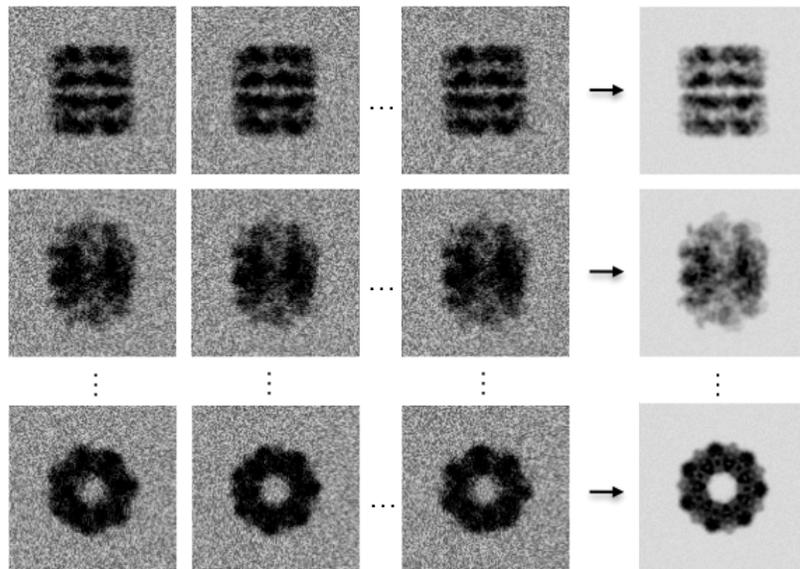
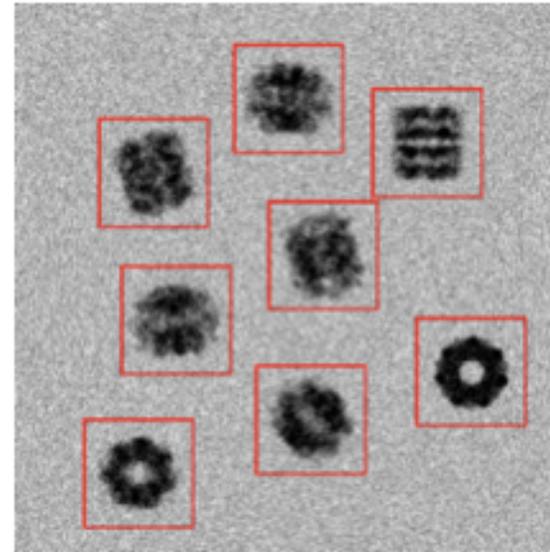
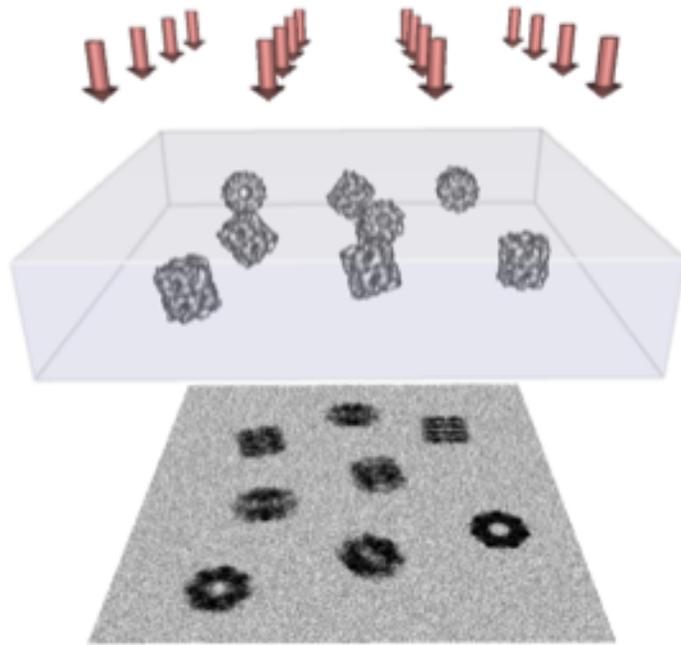
top view



side view



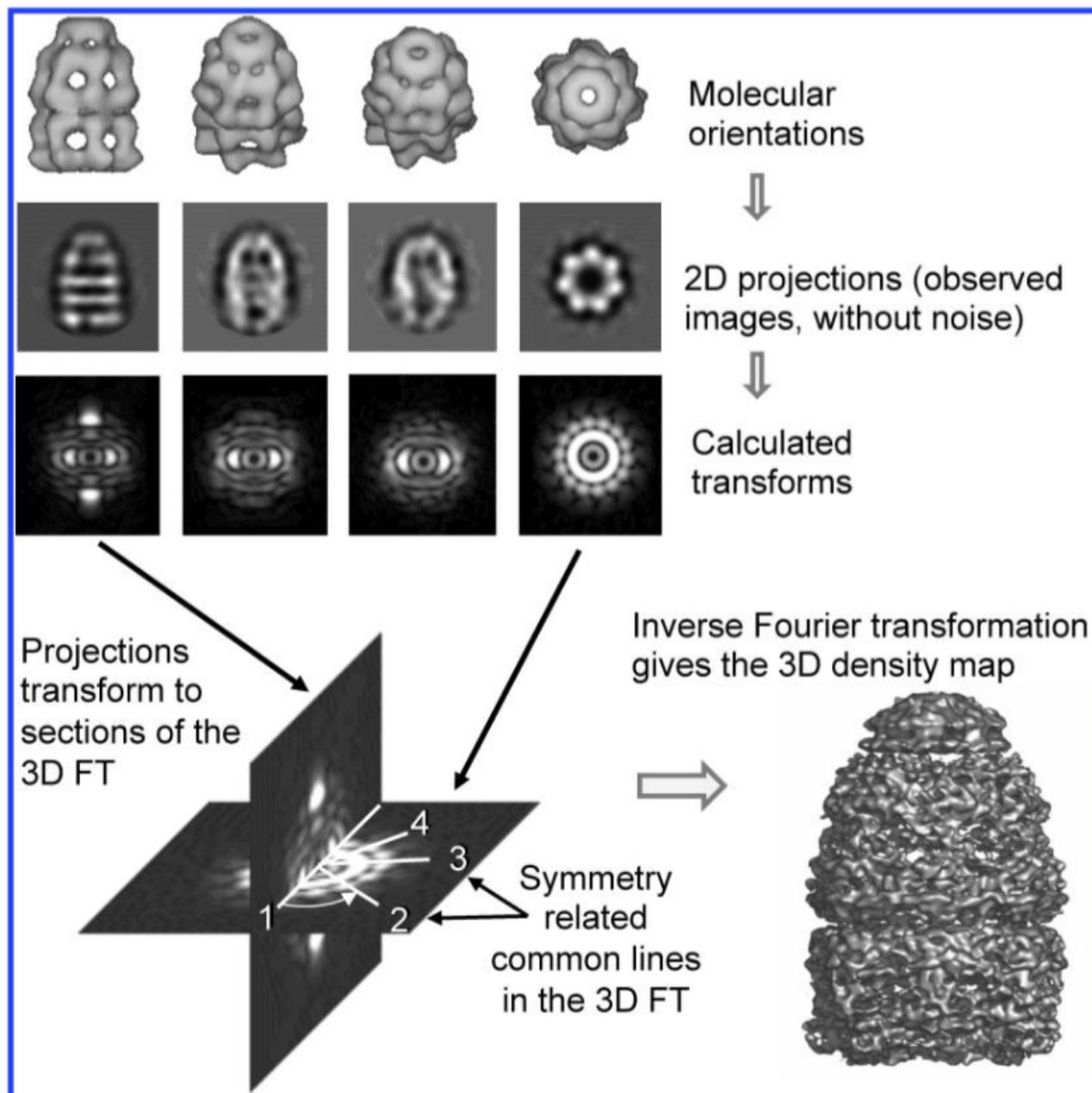
electron beam



Projection-Slice Theorem

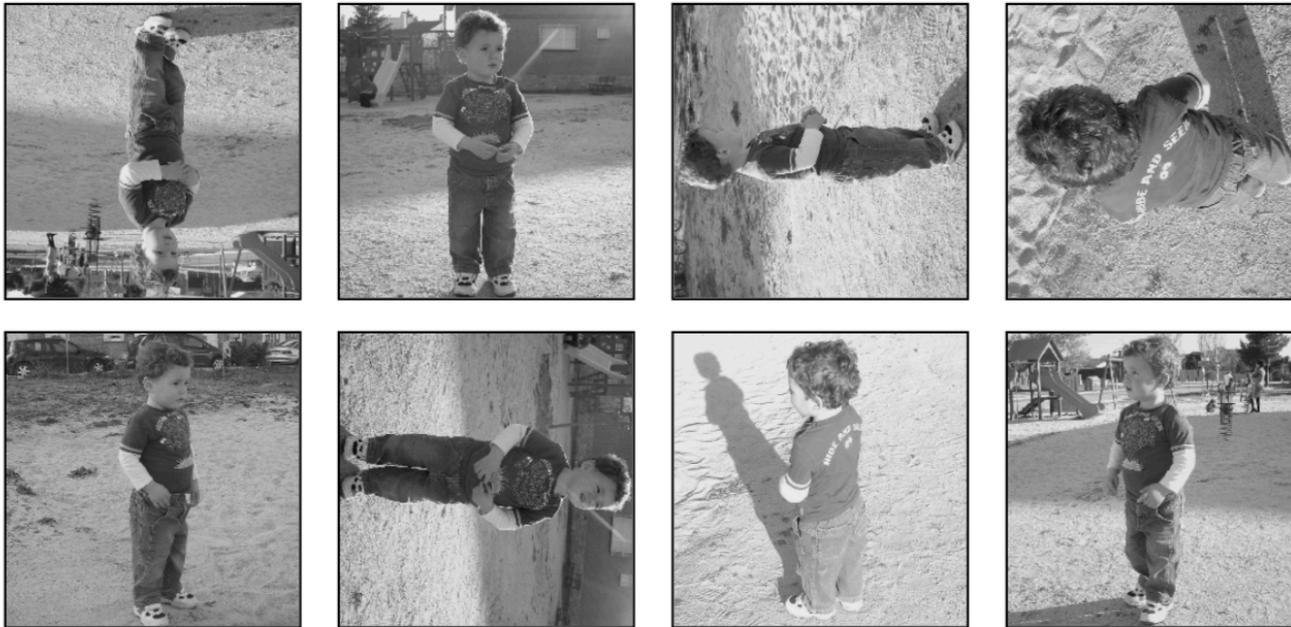
* The F.T. of a 2D projection of a 3D object is a central slice through the 3D F.T. of that object

* Vector normal to slice = projection direction



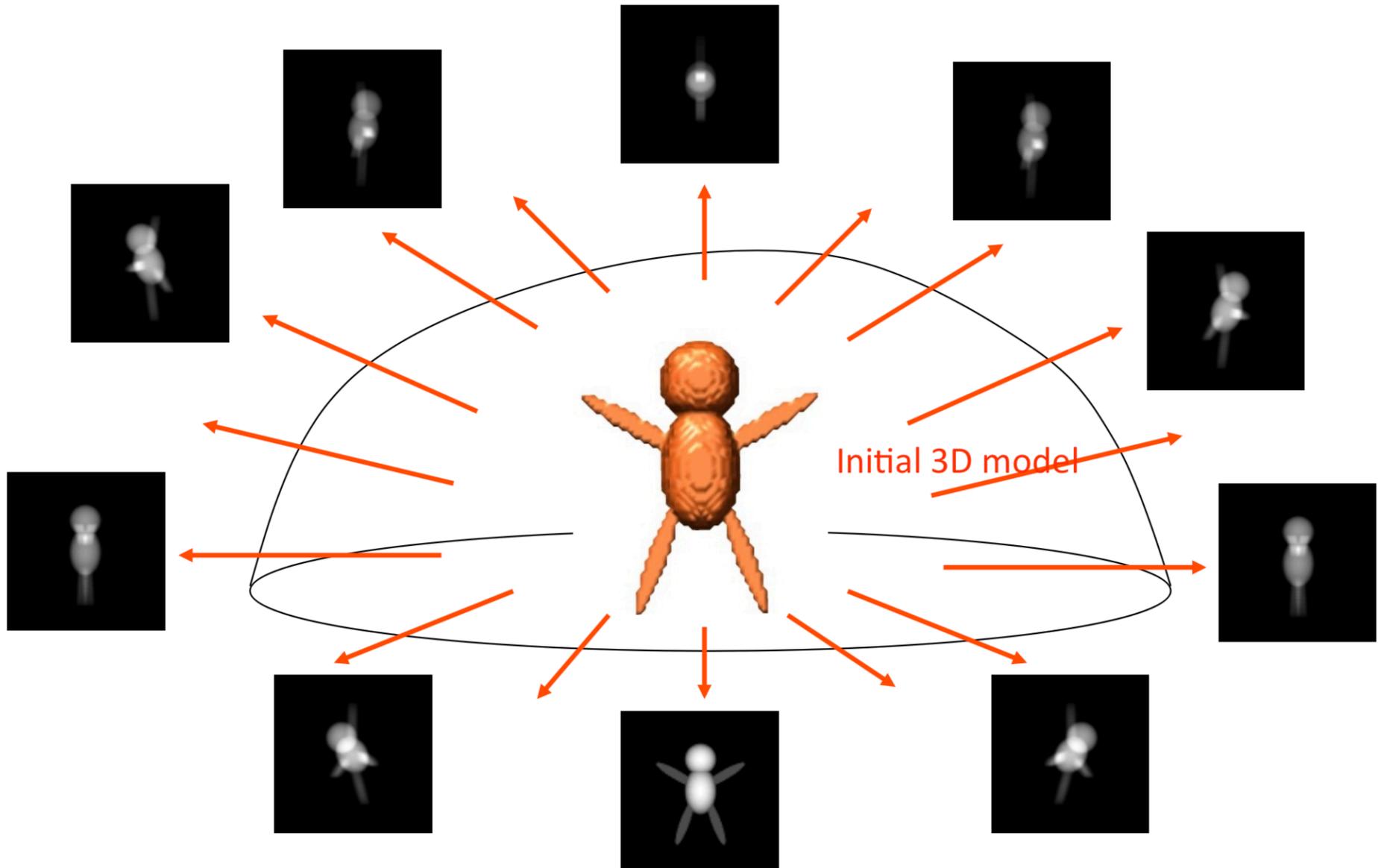
Single particle analysis

- Embedded in ice: many unknown orientations

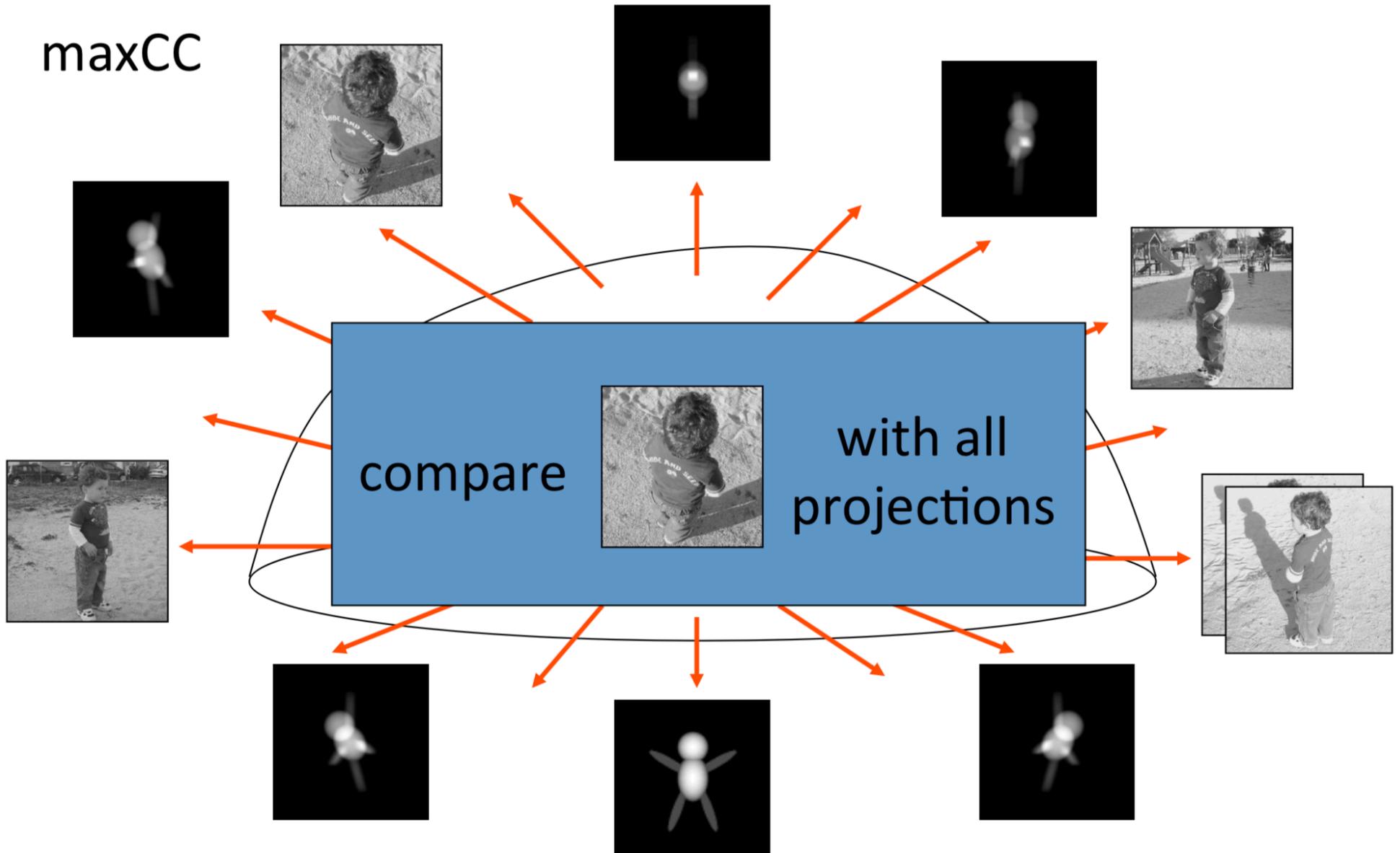


- Combine all 2D projections into a 3D reconstruction

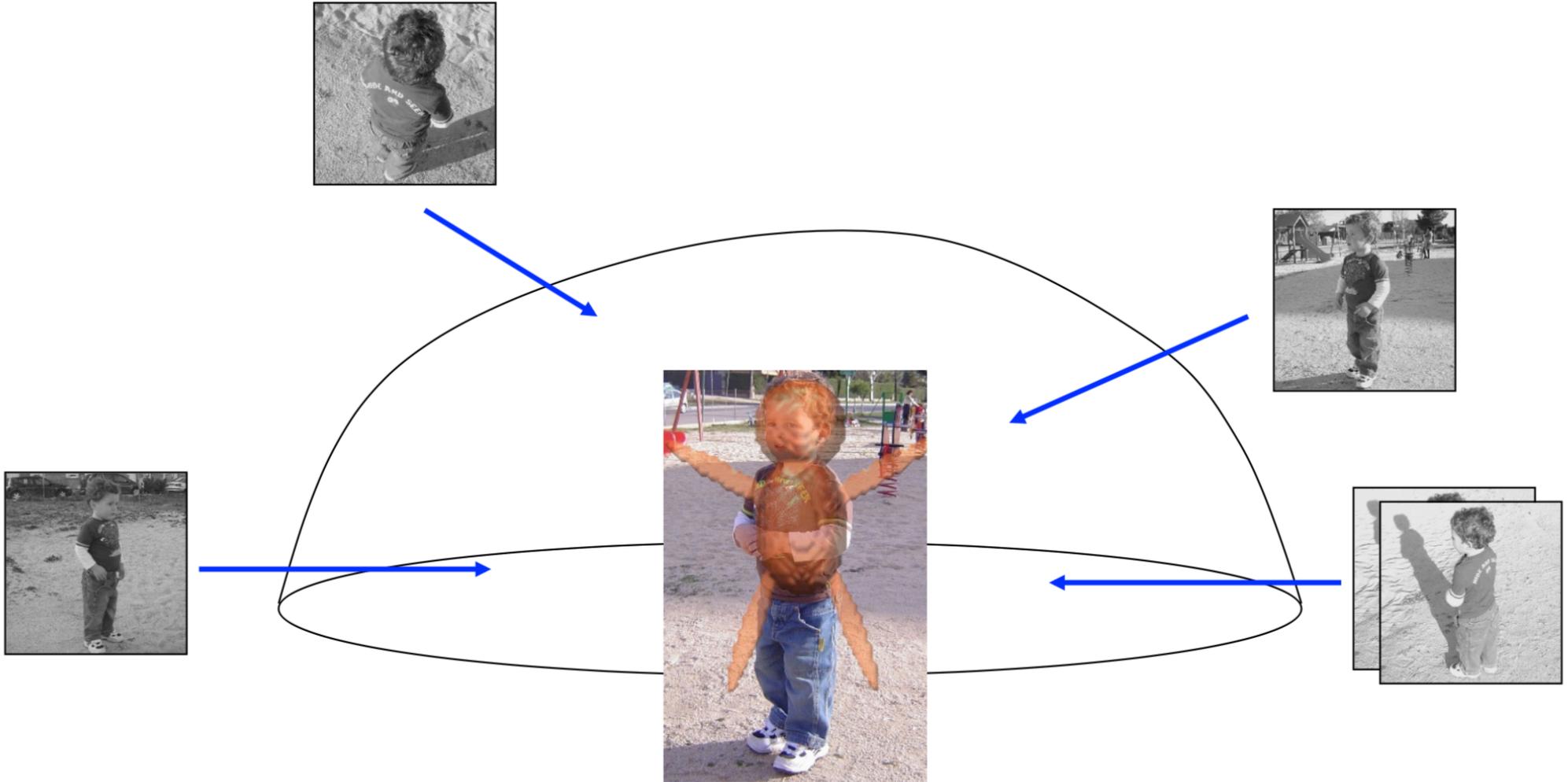
Projection matching



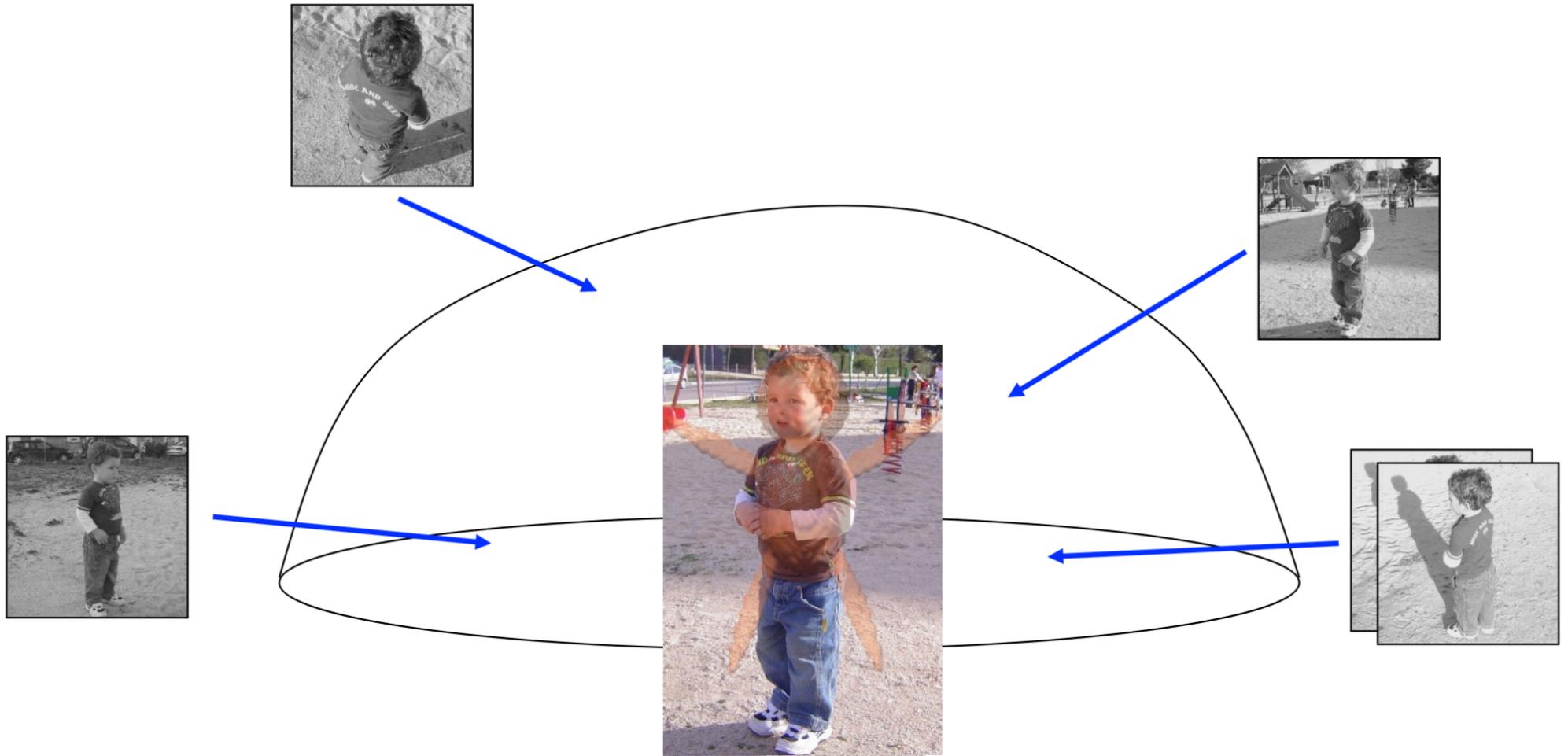
Projection matching



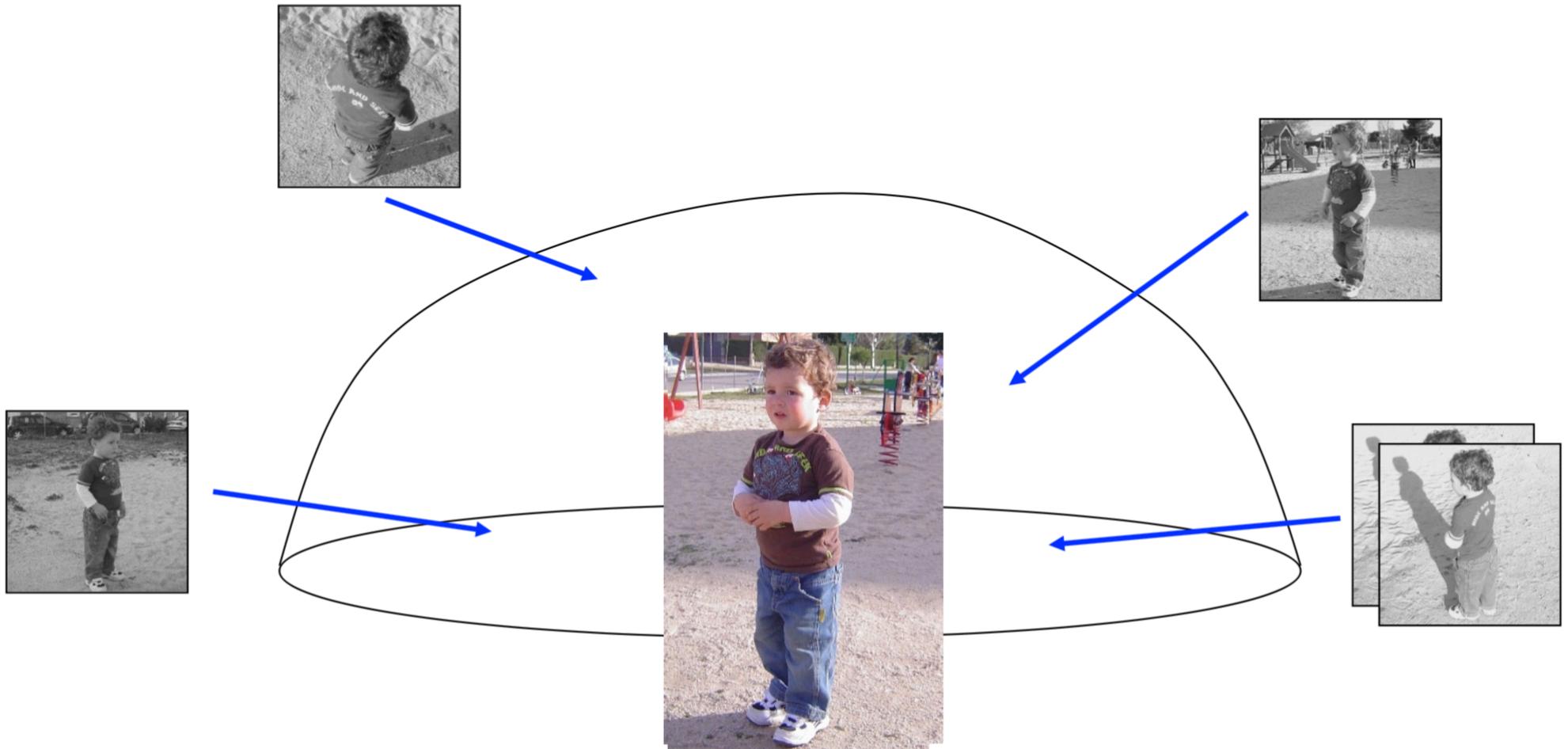
3D reconstruction



Iterative refinement



Iterative refinement



Thank You!